

Initial Results on Generating Macro Actions from a Plan Database for Planning on Autonomous Mobile Robots

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At A Glance

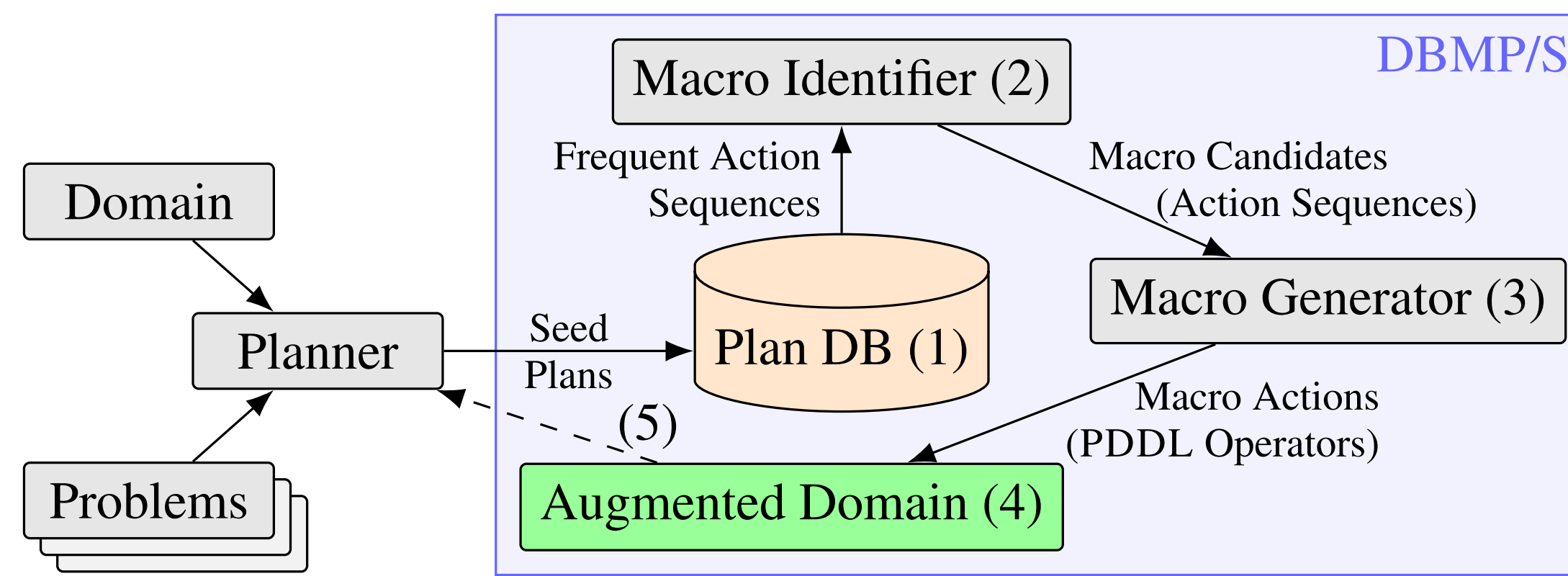
Task Planning for Autonomous Robots

- Robotic systems plan and re-plan frequently
- Planning needs to be especially fast
- In typical scenarios, robots perform similar or repeating tasks
- Exploit repetitiveness by re-using previous planning solutions

Database-Driven Macro Planning for STRIPS (DBMP/S)

- Improve planner performance with additional *macro actions*
- A macro is an action consisting of several STRIPS actions
- Macros are generated from frequent action sequences

Architecture Overview



- Collect planning results in a *plan database*
- Identify frequent action sequences
- Generate macros for those action sequences
- Add macros to the domain to get an *augmented domain*
- Use augmented domain for new planning problems

Plan Database

- Store domains, problems, plans, and macros in document-oriented database MongoDB
- Store data in a structured way in order to allow analysis
- MongoDB allows horizontal scaling and MapReduce natively

```
{
  "_id" : ObjectId("582c9443babe8d00010f4209"),
  "actions" : [
    { "operator" : "unstack",
      "parameters" : [ "b16", "b17" ]
    },
    { "operator" : "put-down",
      "parameters" : [ "b16" ]
    },
    ... ],
  "domain" : "blocksworld",
  "problem" : "BW-rand-20-75",
  "raw" : "(UNSTACK B16 B17)\n(PUT-DOWN B16),...",
  "resources" : [ 0.0145 ]
}
```

Identification

Identify frequent action sequences with MapReduce

- Map:** Emit all action sub-sequences in all plans including all possible parameter assignments
- Reduce:** Count occurring action sequences
- Result:** A set of ungrounded frequent action sequences

Generation

Generate precondition and effects from an action sequence

Given an action sequence $\langle a_1, \dots, a_n \rangle$ with preconditions π_1, \dots, π_n and effects e_1, \dots, e_n :

- Compute the macro precondition by *regressing* each precondition π_i over the effects e_{i-1}, \dots, e_1
- Compute the macro effect by *chaining* the effects e_1, \dots, e_n

Regressing a precondition π over effect e

- If π is a conjunction $\pi = \bigwedge_j \pi_j$, we regress all sub-formulae π_j to π'_j and obtain $\pi' = \bigwedge_j \pi'_j$, analogously for disjunctions
- If $\pi = P(\vec{s})$ and $e = P(\vec{t})$ for some predicate P , then we regress π to $\pi' = (\vec{s} = \vec{t} \vee \neg P(\vec{s}))$
- Similarly, if $\pi = \neg P(\vec{s})$ and $e = P(\vec{t})$ for some predicate P , we regress π to $\pi' = (\vec{s} \neq \vec{t} \wedge \neg P(\vec{s}))$
- If $\pi = (\neg)P(\vec{s})$ and $e = Q(\vec{t})$ for some distinct predicates P and Q , the effect is unrelated to π and we get $\pi' = \pi$. For a negated effect $e = \neg P(\vec{t})$, we proceed analogously
- Finally, if e is a conjunction $e = \bigwedge_j e_j$, we regress π on each e_j successively

Macro effect generation

- Merge all effects $\sigma = \langle e_1, \dots, e_n \rangle$
- Start with $e = e_n$, i.e., the last action's effect
- Add each effect e_{i-1} consecutively with *effect chaining*
- After chaining e_n, \dots, e_1 , we obtain the macro effect e

Effect Chaining of two effects e and f

- If e is a conjunction $e = \bigwedge_i e_i$, we chain each e_i with f to e'_i and obtain $e' = \bigwedge_i e'_i$
- If $e = f$, we remove e
- If $e = \neg f$, we remove e
- If f is a conjunction $f = \bigwedge_i f_i$, we chain e with each f_i consecutively to e'_i and obtain $e' = \bigwedge_i e'_i$
- If $e = P(\vec{s})$ and $f = Q(\vec{t})$ for some distinct predicates P and Q , we keep e , i.e., $e' = e$

DBMP/S Features

- DBMP/S collects plans to speed up subsequent planning tasks
- Previous results are used to identify frequent action sequences
- Frequent action sequences are merged into macro actions
- Macro actions are represented as normal PDDL actions
- ⇒ No adaption of the underlying planner necessary
- Common parameters are coalesced
- ⇒ Reduce the total number of parameters in resulting macros
- Macros are generated off-line
- ⇒ Shorter on-line planning time

Example: Blockworld Macros

Actions

```
(:action unstack
:parameters (?x - block ?y - block)
:precondition (and (on ?x ?y) (clear ?x) (handempty))
:effect (and (holding ?x) (clear ?y) (not (clear ?x))
            (not (handempty)) (not (on ?x ?y))))

(:action put-down
:parameters (?b - block)
:precondition (holding ?b)
:effect (and (not (holding ?b)) (clear ?b)
            (handempty) (ontable ?b)))
```

Identification

```
[ { "problem": "p1", "actions" : [
  { "operator" : "unstack",
    "parameters" : [ "b19", "b1" ] },
  { "operator" : "put-down",
    "parameters" : [ "b19" ] }
] },
{ "problem": "p2", "actions" : [
  { "operator" : "unstack",
    "parameters" : [ "b12", "b3" ] },
  { "operator" : "put-down",
    "parameters" : [ "b12" ] }
] }
]
```

- Action sequence: $\langle \text{unstack}, \text{put-down} \rangle$
- Assignment for unstack: $?x \rightarrow ?p1, ?y \rightarrow ?p2$
- Assignment for put-down: $?b \rightarrow ?p1$
- ⇒ Parameters $?x$ and $?b$ are coalesced to reduce final parameters

Generated Macro

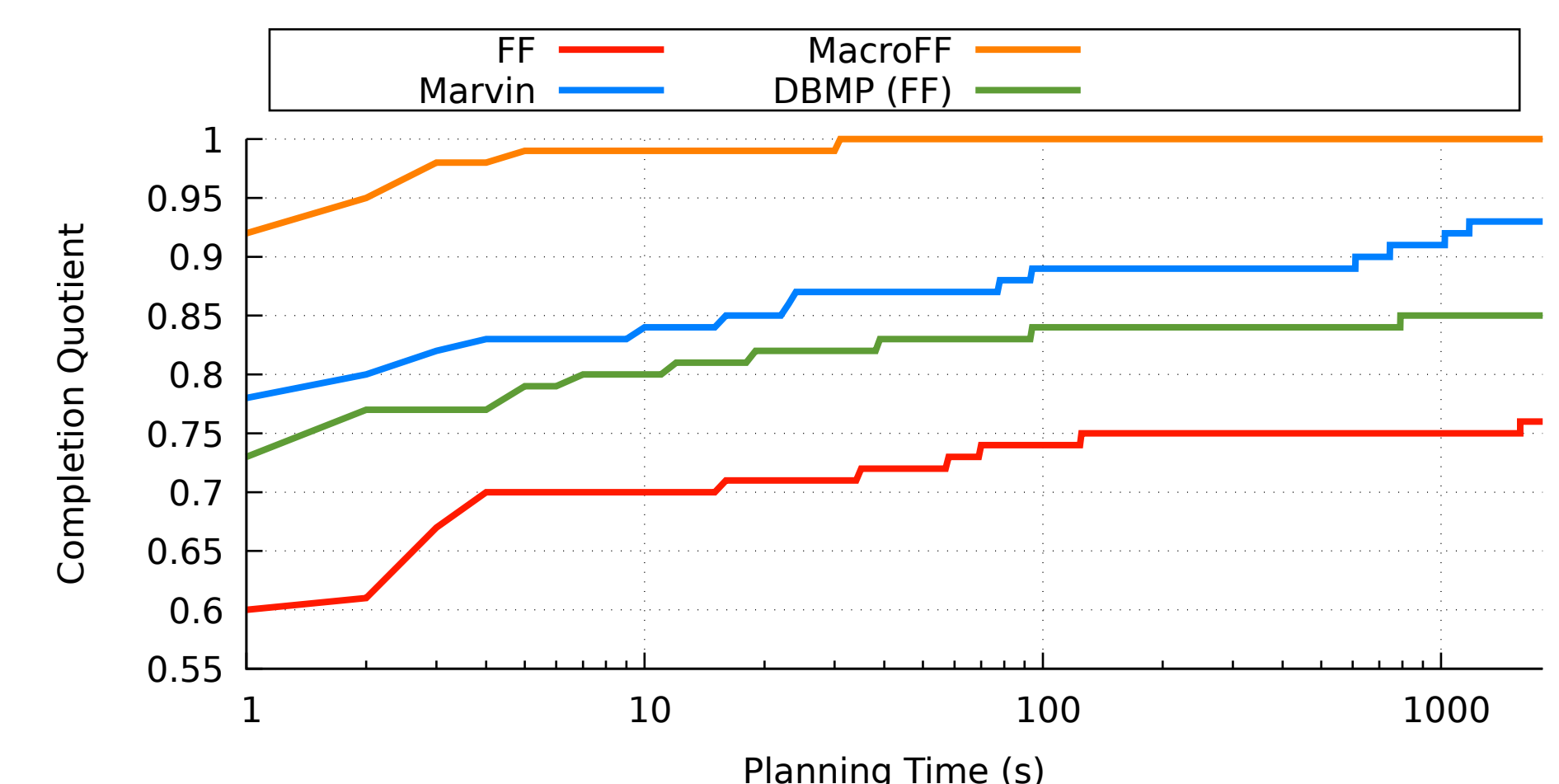
```
; MACRO unstack-put-down
; ACTIONS [unstack,put-down] PARAMETERS [[1,2],[1]]
(:action unstack-put-down
:parameters (?p1 ?p2 - block)
:precondition (and (on ?p1 ?p2) (clear ?p1)
                  (handempty))
:effect (and (not (holding ?p1)) (clear ?p1)
            (handempty) (ontable ?p1)
            (clear ?p2) (not (on ?p1 ?p2))))
```

- Precondition of put-down is regressed on unstack
- $(\text{holding } ?p1)$ can be simplified to (true)
- Effect of unstack is chained with effect of put-down
- $\text{effect } (\text{not } (\text{handempty}))$ is removed from macro effect
- The macro's actions and parameter assignment are stored as a comment to translate the macro to the original actions

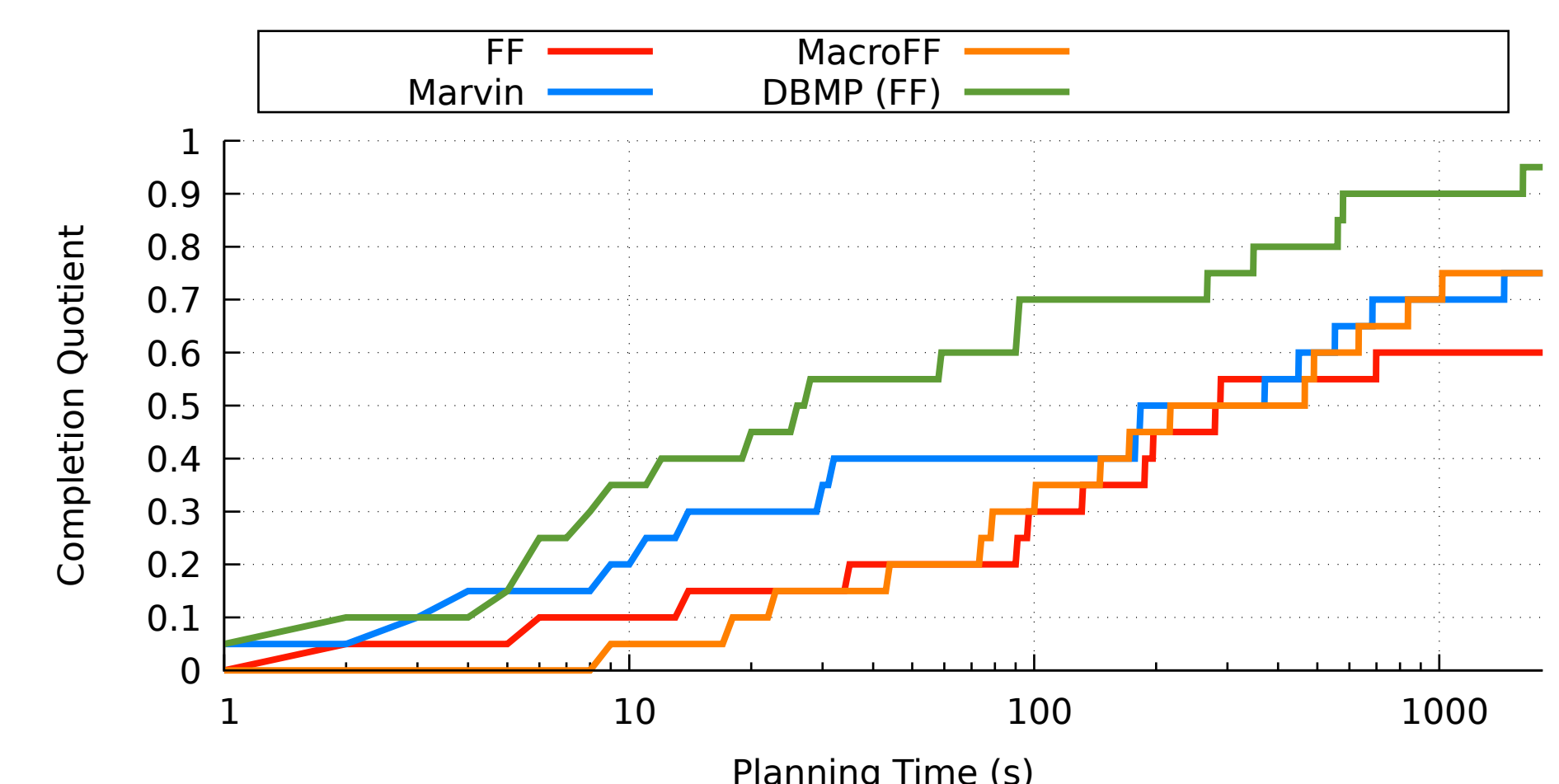
Benchmark Results

	FF	MACROFF	Marvin	DBMP/S (FF)	DBMP/S (Marvin)
Blocksworld (100 problems)					
# solved	76	100	93	85	93
mean (s)	25.2	0.72	41.1	11.5	33.0
Q1 (s)	0.006	0.16	0.12	0.006	0.15
Q2 (s)	0.12	0.23	0.23	0.017	0.25
Q3 (s)	124	0.40	0.64	1.57	0.94
Hiking (20 problems)					
# solved	12	15	15	19	15
mean (s)	260	349	264	196	284
Q1 (s)	91.0	86.6	10.9	5.67	11.8
Q2 (s)	280	339	182	25.6	273
Q3 (s)	×	1751	1447	268	1653
Barman (20 problems)					
# solved	0	0	6	19	20
mean (s)	×	×	125	4.60	147
Q1 (s)	×	×	256	2.10	6.76
Q2 (s)	×	×	×	2.96	17.3
Q3 (s)	×	×	×	5.77	35.4
Logistics Robots (81 problems)					
# solved	4	↑	3	4	3
mean (s)	0.156	×	0.74	0.094	0.40

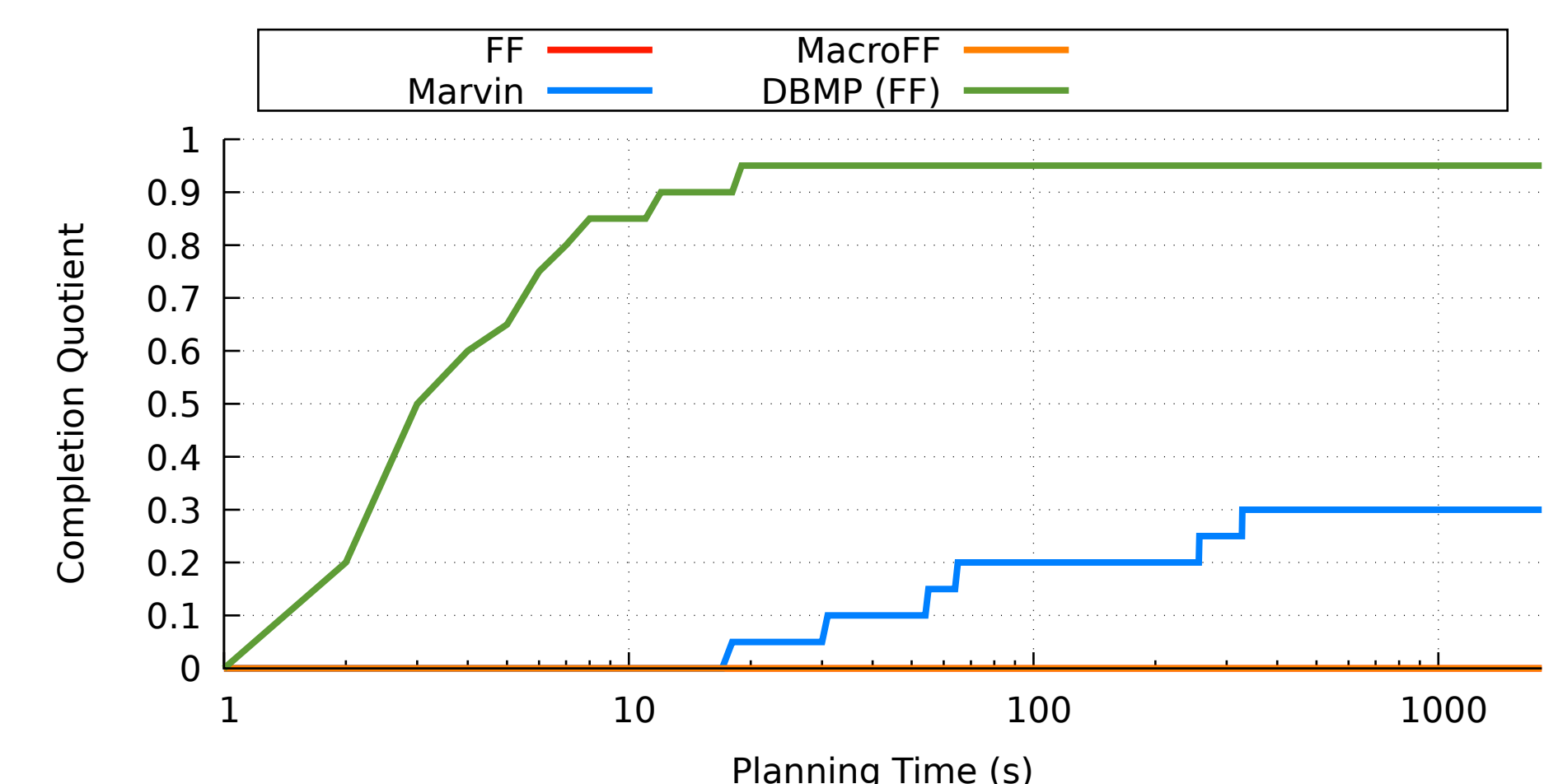
Blocksworld



Hiking



Barman



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